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Deterministic numerical modelling of three-dimensional rogue waves on large scale with presence of wind

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Abstract

Oceanic rogue waves are a subject of great interest and can cause devastating consequences. Rogue waves are abnormal in that they stand out from the waves that surround them. Rogue waves are often observed accompanied by high wind in reality, and some earlier studies have demonstrated that the energy input due to the wind can enhance the dynamics of the rogue waves, which further causes huge concern about the safety of the human's oceanic activities. Thus it is important, to better understand the mechanisms between the wind-wave interactions and to study the rogue waves with the presence of wind, especially on a three-dimensional large scale. In this study, numerical simulations are performed by using the Enhanced Spectral Boundary Integral (ESBI) method based on the fully nonlinear potential theory, in order to investigate the effects of wind on the rogue waves. The wind effects are introduced by imposing a wind-driven pressure on the free surface, which is empirically formulated based on intensive numerical investigation using multiple-phase Navier-Stokes solver. The results of the simulation confirm that the presented ESBI can produce satisfactory results on the formation of rogue waves under the action of wind. It provides a foresight of modelling rogue waves with presence of wind on a large scale in a phase-resolved fashion, which may motivate relevant studies in the future.

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1. Introduction

Rogue waves in the ocean are extreme waves with a maximum height larger than twice the significant wave height (H_s) and/or crest larger than $1.2H_s$ [1]. Studies on rogue waves have attracted extensive attentions from the community of engineers and applied scientists over the last few decades. They have been recognized as great threats to marine structures, whereas possible causes resulting their formation can be due to the spatial-temporal focusing, the instability of nonlinear Stokes waves, wave-topography or wave-current interactions, etc. Good reviews of rogue waves are given by Kharif, et al. [1] and Adcock & Taylor [2].

In addition, another factor that cannot be overlooked accounting for rogue wave occurrence is due to the presence of wind according to in-situ observation [3]. However, the question about how rogue waves are generated and/or influenced by wind cannot be completely understood at present. In general, there are two ways to study rogue waves: statistical and deterministic approaches (see discussion in second paragraph of Adcock et al. [31]). The former provides very useful information about the probability of rogue wave occurrence or the wave spectra, contributing to the wave forecasting and hindcasting. Nevertheless, the dynamic features of the waves are important as well and can only be obtained by the latter. To examine the mechanism of energy transferring from wind to waves, deterministic approaches are more straightforward and thus preferred. For example, investigations on wind effects on the rogue wave dynamics have been reported by Giovanangeli, et al. [4], Touboul, et al. [5], Kharif, et al. [6], Yan & Ma [7-9], etc., where it has been demonstrated that wind may dramatically affect the properties of two-dimensional rogue waves. More recently, studies about the effects of wind on rogue waves have been carried out in both laboratory [10-15] and numerical simulations [16-18], which provides significant insights for better understanding the mechanism between wind-wave interactions.

For numerically simulating the interaction between wind and waves, Yan and Ma [7] summarised four existing numerical strategies, in terms of how the wind flow is coupled with the waves. These include (1) a single-phase Navier-Stokes equation to model the air flow, whilst the waves are represented by a pre-described wavy surface [26-30]; (2) the fully nonlinear potential theory (FNPT) models the water waves, in which a wind-excited pressure term imposed on free surface [5-6]; (3) a two-phase Navier-Stokes model to model the air and water flow simultaneously [18]; and (4) a hybrid model combining Strategy 3 and 4 [7,16]. Strategy 1 primarily focuses on the air flow pattern on the pre-described wavy surface and provide useful information on vortex shedding and turbulence near the wavy surface. However, it cannot contribute to the question how the waves are influenced by the air flow. Theoretically, Strategy 3 and 4 can fully couple the air flow and wave motions and, thus, consider the effects of wind on wave field as well as the feedback from the waves to the wind field, the drawback is their low computational efficiency, which is prohibitive especially for large-scale three-dimensional simulations. This paper adopts Strategy 2 with focus on the evolution of waves rather than the variation of the wind field. The FNPT model with external forcing terms to represent the wind-driven pressure on the free surface is applied, following the work done by Touboul, et al. [5], Kharif, et al. [6] and Yan & Ma [9], who have successfully applied the strategy to investigate wind effects on 2D rogue waves generated by using temporal-spatial focus mechanism. However, according to Xiao, et al. [19], to study the weakly non-linear effects which may contribute to rogue waves, the spatial and temporal scale should be commensurate with those of quartet wave-wave interaction. This allows the effect of the Benjamin-Feir like instabilities (see section 4.3 in Janssen [32]), i.e., $L/L_0, T/T_0 \sim O(\varepsilon^{-2})$, where L_0 and T_0 are the peak wave length and peak period, respectively, ε is the wave steepness. Whereas for regional statistics of rogue waves in spreading seas, those scales should be applied to determine the domain size and duration of three dimensional simulations. Though two-dimensional rogue waves considering the wind effects in local area have been discussed in previous studies, investigation on the wind acting on three-dimensional rogue waves in large scale spreading seas is rare. Nevertheless, the nonlinear effects on transversal direction cannot be overlooked. For instance, the soliton envelope as one of the rogue wave prototype, is found to be transversally unstable, which requires consideration of the transverse wave direction [1]. Therefore, in this paper we focus on the wind effects on three-dimensional rogue waves.

As demonstrated by Touboul & Kharif et al [5-6] and Yan & Ma [9], the accuracy of this strategy relies on how the wind-pressure forcing term is formulated. Conventional theories explaining the wave growth subjected to wind, e.g. Miles' theory, usually gives the wind-drag or energy transfer from wind to waves. These can be adopted to model the spectral evaluation but may not be directly applied to the phase-resolved time-domain modelling. Two

existing techniques are used to introduce wind-pressure forcing term on the dynamic boundary condition in this paper. For completeness, they are summarised below.

i) Technique 1: Modified Jeffreys' sheltering theory

According to Kharif and Touboul, et al.[5-6], the air flow separation is responsible for large increments in the form drag, thus the Jeffreys' mechanism is more relevant than the Mile's theory to describe the air sea interaction process. They suggested a modified Jeffreys' sheltering mechanism, which assumes that the energy transform from wind to waves is due to the air flow separation occurring over very steep waves [5], the pressure can be expressed as

$$p_u = \frac{\rho_a}{\rho_w} s (U_w - c)^2 \eta_x \quad (1)$$

where $s = 0.5$ is the sheltering coefficient, ρ_a is the atmospheric density, U_w is the wind velocity, c is the wave phase velocity. The air flow separation often occurs when the local wave slope exceeds a critical value, η_{xc} , according to the experimental observation. The above equation is only taken into effect when the local wave slope becomes larger than a critical value, i.e., $\eta_{xmax} \geq \eta_{xc}$; otherwise, $p = 0$. This means that wind forcing is applied locally in time and space.

ii) Technique 2: Empirical Formula based on CFD modelling

Yan & Ma [7] investigated the wind acting on two-dimensional rogue waves by using a hybrid model combining the FNPT with Navier-Stokes solver, and observed that the air flow separation occurred on the lee side of the rogue wave, as shown in Figure 1(bottom figure), which is consistent with that reported in laboratory [5], justifying the modified Jeffreys' theory, i.e. Eq. (1). However, it was found that the pressure distribution on the free surface described by using the modified Jeffreys' theory (Eq. 1) does not agree well with that numerical results obtained by using the hybrid model, as shown in Figure 1(top figure), especially on the lee side of the rogue wave. The analysis on the correlations between the free surface pressure and local wave profile & wind flow field suggested that the surface elevation, the local slope, air vortex shedding near the wave crest and wave breaking plays important roles. Based on the correlation analysis, Yan & Ma [8] proposed an improved formula by fitting the pressure on free surface in comparison with the CFD simulations, which is given by

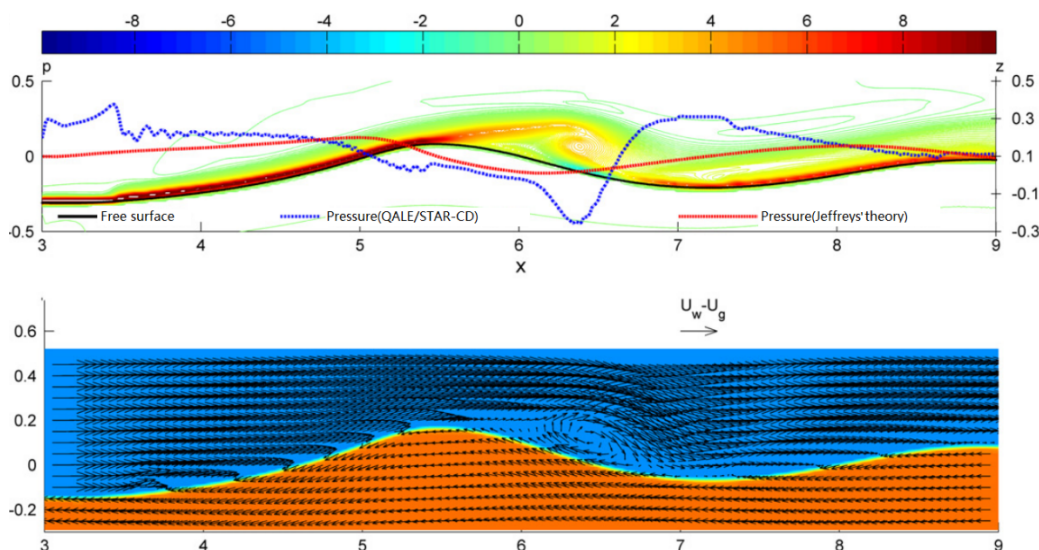


Figure 1. Air flow separation observed in numerical simulation (duplicated from Fig.10a in [7])

$$p_u = \frac{\rho_a}{\rho_w} (U_w - c_g - U_c)^2 \left(C_a k_c \eta + C_b \frac{\partial \eta}{\partial X} \right) + p_{vor} \quad (2)$$

where $C_a = 0.1344u^3 - 0.9394u^2 + 1.9654u - 1.3881$, $C_b = -0.0170u^3 + 0.1369u^2 - 0.3786u + 0.5204$, $u = (U_w - c_g - U_c)/\sqrt{gd}$, $U_c = C_{cur}U_w$ is the speed of the wind driven current, C_{cur} is usually taken as 0.5%, while c_g is the wave group velocity and d is the water depth, p_{vor} is the additional pressure caused by vortex shedding and wave breaking, and disappears rapidly thus its effects is insignificant and can be neglected during the numerical simulation. According to Yan & Ma [8], Eq. (2) can be accurately used to predict the wind-driven pressure on the free surface for rogue waves in finite depth. It shall be noted that the development of Eq. (2) does not aims to explain the mechanism of wind wave generation/growth, but mainly focus on providing a more accurate wind-driven pressure to be coupled with FNPT model in order to take into account of the wind effects. By using this formulation, the simulations based on FNPT can produce an acceptable pressure distribution that is very close to that in the CFD simulations.

Unlike in our previous work in [8-9], where the Quasi Arbitrary Lagrangian-Eulerian Finite Element Method (QALE-FEM) is used to solve the FNPT, in this paper, a more robust method, i.e. the Enhanced Spectral Boundary Integral (ESBI) method [20-24], is employed. Three-dimensional rogue waves in large scale spreading seas with presence of wind are numerical simulated. Both the modified Jeffreys' sheltering mechanism [6], Eq.(1), and the improved air pressure model [8], Eq. (2), are used to impose the wind-driven pressure. It should be noted that the authors are not trying to address the superiority of either the approaches for modelling the wind effect, instead, they will mainly look at the changes of the properties of the rogue waves due to the presence of wind. Note that this study is a preliminary investigation on wind-wave interaction system, thus is a very first step to investigate the wind-wave energy transfer mechanism. It provides the possibilities to extend the local-scale studies to large scales in a phase-resolved manner, and systematic investigations will be carried out in the future.

2. Numerical model and validation

2.1. Formulations of the ESBI

The fully nonlinear Enhanced Boundary Integral (ESBI) method is employed to simulate rogue waves under wind action. The method is well documented in [20-24], thus details are omitted here. However, the main formulations are briefed for completeness of the paper.

To model gravity surface waves on a irrotational and inviscid flow, the free surface boundary conditions can be written as

$$\frac{\partial \eta}{\partial T} - V = 0 \quad (3)$$

$$\frac{\partial \tilde{\phi}}{\partial T} + g\eta + p + \frac{1}{2} \left(|\nabla \tilde{\phi}|^2 - \frac{(V + \nabla \eta \cdot \nabla \tilde{\phi})^2}{1 + |\nabla \eta|^2} \right) = 0 \quad (4)$$

where η and $\tilde{\phi}$ are the free surface and velocity potential at free surface, respectively, ∇ the horizontal gradient operator, $V = \partial \phi / \partial n \sqrt{1 + |\nabla \eta|^2}$, n is the unit vector normal to the surface pointing outwards, p is the pressure forcing term imposed on free surface to model wind effects, and g is the gravitational acceleration. The above equation can be reformulated as the skew-symmetric prognostic equation, i.e.,

$$\frac{\partial \mathbf{M}}{\partial T} + \mathbf{A}\mathbf{M} + \mathbf{P} = \mathbf{N} \quad (5)$$

where

$$\begin{aligned}\mathbf{M} &= \begin{pmatrix} KF\{\eta\} \\ \frac{K\Omega}{g}F\{\tilde{\phi}\} \end{pmatrix}, \Lambda = \begin{bmatrix} 0 & -\Omega \\ \Omega & 0 \end{bmatrix}, \mathbf{P} = \begin{pmatrix} 0 \\ \frac{K\Omega}{g}F\{p\} \end{pmatrix}, \\ \mathbf{N} &= \begin{pmatrix} K(F\{V\} - KF\{\tilde{\phi}\}) \\ \frac{K\Omega}{g}F\left\{\frac{1}{2}\left[\frac{(V + \nabla\eta \cdot \nabla\tilde{\phi})^2}{1 + |\nabla\eta|^2} - |\nabla\tilde{\phi}|^2\right]\right\} \end{pmatrix}\end{aligned}\quad (6)$$

where $F\{*\} = \int * e^{-i\mathbf{K}\cdot\mathbf{X}} d\mathbf{X}$ is the Fourier transform and $F^{-1}\{*\}$ denote the inverse Fourier transform, $\mathbf{K}$ is the wave number in Fourier space and $K = |\mathbf{K}|$, $\Omega = \sqrt{gK}$. The solution to Eq.(5) can be given by

$$\mathbf{M}(T) = e^{-\Lambda(T-T_0)} \left[\mathbf{M}(T_0) + \int_{T_0}^T e^{\Lambda(T-T_0)} (\mathbf{N} - \mathbf{P}) dT \right] \quad (7)$$

where

$$e^{\Lambda\Delta T} = \begin{bmatrix} \cos \Omega\Delta T & -\sin \Omega\Delta T \\ \sin \Omega\Delta T & \cos \Omega\Delta T \end{bmatrix} \quad (8)$$

Meanwhile, the evaluation of V can be achieved by using the boundary integral equations, and it can be split into four parts in terms of different degrees of nonlinearities, i.e., $V = V_1 + V_2 + V_3 + V_4$, where

$$V_1 = F^{-1}\{KF\{\tilde{\phi}\}\} \quad (9)$$

$$V_2 = -F^{-1}\{KF\{\eta V_1\}\} - \nabla \cdot (\eta \nabla \tilde{\phi}) \quad (10)$$

$$V_3 = F^{-1}\left\{\frac{K}{2\pi}F\left\{\int \tilde{\phi}'\left[1 - \frac{1}{(1+D^2)^{3/2}}\right]\nabla' \cdot \left[(\eta' - \eta)\nabla' \frac{1}{R}\right]d\mathbf{X}'\right\}\right\} \quad (11)$$

$$V_4 = F^{-1}\left\{\frac{K}{2\pi}F\left\{\int \frac{V'}{R}\left(1 - \frac{1}{\sqrt{1+D^2}}\right)d\mathbf{X}'\right\}\right\} \quad (12)$$

and $R = |\mathbf{X}' - \mathbf{X}|$ is the horizontal distance between source point and evaluated point, and $D = (\eta' - \eta)/R$. Note that the dominant part of V_4 can be further written into third order convolutions, of which the calculation is fast owing to the Fast Fourier Transform (FFT). Otherwise, the estimation of the remaining integration part of V_4 and V_3 are relatively slow. Later, Wang & Ma [24] suggested three techniques to improve the efficiency of the model, where a new de-singularity method, a new de-aliasing approach and convolutions up to 7th order for evaluating V are introduced. For simplicity, details are omitted here but can be found in aforementioned papers.

To model the wind effects, pressure p can be given by either Eq.(1) or (2). However, Eq.(1) or (2) are designed for two-dimensional problems, where a uni-directional wave is subjected to a wind following the direction of the wave propagation. To extend that to directional waves, where the wind direction is the same as the main wave direction, the pressure can be estimated by using $p = p_u + p_{trs}$, where p_{trs} is the pressure due to the transversal variation of the surface and surface gradient. Nevertheless, due to that the drag effects on this direction is neglectable when the wind direction is the same with the main wave direction, it can be neglected during the simulation. By doing so, the ESBI method incorporating Eq. (1) is abbreviated as ‘ESBI-T1’, and Eq. (2) as ‘ESBI-T2’. Note that the water depth is infinite, so that $u = 0$, $C_a = -1.3881$, $C_b = 0.5204$ in Eq. (2).

2.2. Validations

To demonstrate the accuracy of the ESBI-T1/2 for simulating rogue waves with presence of wind, two cases are considered here. In these cases, the rogue waves are generated by using different mechanisms, including the modulational instability and spatial-temporal focusing wave. The numerical results predicted by ESBI are compared with the experimental and/or numerical results available in the public domain.

2.2.1 Modulation instability

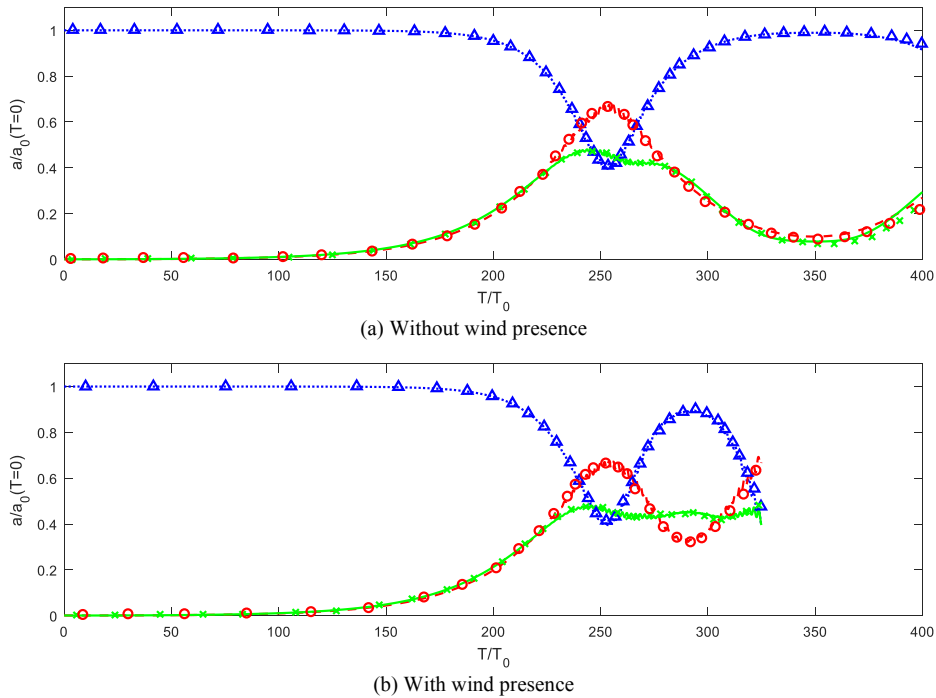


Figure 2. Amplitude ratio against time. Blue: the carrier wave; Red: sub-harmonic mode; Green: the super-harmonic mode. Lines denote the ESBI-T1 and 'ΔXO' in Kharif, et al. [6].

The numerical model is firstly validated through comparing with the FNPT (HOS) results in Kharif, et al. [6], where a modulation instability case of five-wave perturbation to the uniform Stokes wave train is simulated. The steepness of the carrier waves equals to 0.11 and the side bands is 0.1% of that. The simulation is performed by using the ESBI-T1 and $\eta_{Xc} = 0.4$, i.e. the same wind-driven pressure model used by [6].

The ratio of the amplitude, i.e., the amplitude of individual mode over that of the carrier waves, against time without wind presence is shown in Figure 2(a) while with wind in Figure 2(b). Furthermore, the comparison of the free surface spatial distribution at the same time instant is shown in Figure 3. It can be found that the amplitude ratio and the free surface obtained by using the ESBI agree very well with that reported in Kharif, et al. [6]. This indicates that the ESBI can be accurately used to simulate the rogue waves due to modulation instability with wind presence.

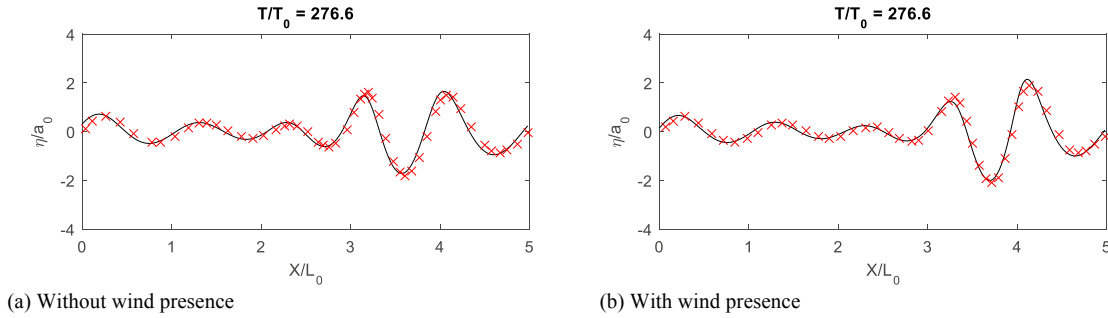


Figure 3. Free surface spatial distribution. ‘Black line’: ESBI-T1; ‘Red X’: Kharif, et al. [6].

2.2.1 Spatial-temporal focusing wave

The numerical model is then validated through comparing its predictions with the results obtained in the laboratory by Touboul, et al. [5], in which the focusing wave is generated using the spatial-temporal focusing mechanism and wind velocity is 6 m/s. Simulations by using both ESBI-T1 and ESBI-T2 are performed, where the $\eta_{Xc} = 0.5$. The variation of the amplification factor, $A(X) = H_{max}(X)/H_{ref}$, where H_{max} is the maximum wave height recorded at location X , and H_{ref} is the mean wave height at the probe 1m away from the wave maker, predicted using the ESBI are presented in Fig. 4, together with the experimental data[5]. It is found that without the wind, the ESBI successfully predicted the variation of $A(X)$ in space and the results agreed very well with experiment data. With the presence of wind, both ESBI-T1 and ESBI-T2 reasonably capture the changes of $A(X)$ behind the focusing point, although slight differences between the numerical and experimental results were observed. It implies that both ESBI-T1 and ESBI-T2 can give acceptable predictions of the amplification factor and thus can be used for modelling the focusing wave with wind presence.

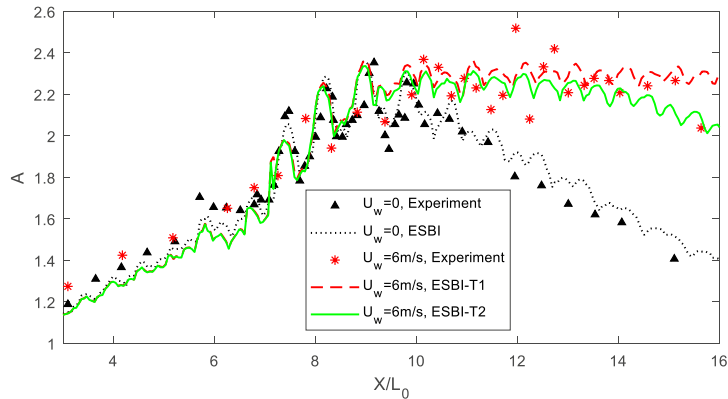


Figure 4. Comparison of the amplification factor

3. Results and discussion

The validation cases presented in the previous section conclude the results obtained by using the ESBI model are satisfactory, which implies that the ESBI model can deliver reliable results for the purpose of this study. In this section, it is employed to explore the wind effects on rogue waves in spreading seas. The computational domain covers 32×32 peak wave lengths and is resolved into 1024×1024 collocation points, which for example corresponding to a domain size of 23 km^2 considering a typical wave length 150m in the North Sea. A convergent test indicates that the current resolution is sufficient to demonstrate the local effects of wind on the rogue waves

modelled by using the focusing wave technique in a short time window, after comparing with the results produced by using further refinement of the mesh (2048×2048) (the error of the maximum surface elevation is about 1.3%). The JONSWAP spectrum with $k_0 H_s = 0.3$ (k_0 the peak wave number) and peak enhancement factor $\gamma = 3$ are employed, where the spreading function $G(\theta) = 2/\pi \cos^2(\theta)$ is adopted.

A focusing wave is embedded in the random background waves, by using the method suggested by Wang, et al. [25], where the spectrum is split into three parts, i.e., a transient part, a background part and a correction part. The rogue wave is then embedded by the phase coherence of the transient part, while the spectral shape of the JONSWAP configuration is preserved. Here we only use 1% of the total spectral energy to generate the focusing waves. Since the sheltering mechanism is only effective within a limited time window, the duration of the simulation is made lasting for 20 peak periods, where the focusing occurs at the 10th peak period at the centre of the computational domain. To have a glance at the spatial scale of the simulation, an illustration of the free surface at the focusing time without presence of wind is shown in Figure 5.

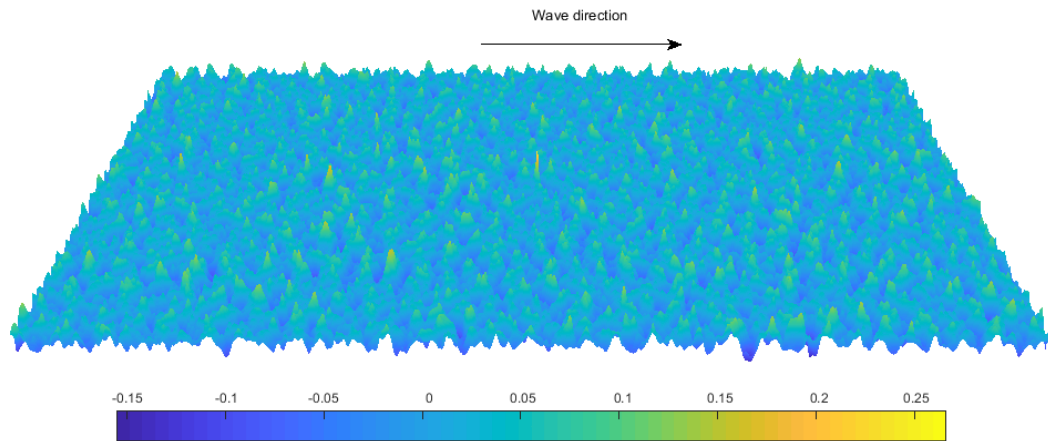


Figure 5. Illustration of the free surface spatial distribution

Three cases with different magnitude of wind speed are considered, i.e., $U_w/c_0 = 4, 4.5$ and 5 , where c_0 is the wave phase speed corresponding to the peak component, and $\eta_{xc} = 0.35$. The simulations without the presence of wind are also performed for comparison, while the cases with wind effects are simulated by using both the ESBI-T1 and ESBI-T2. Note that wave broke in the case $U_w/c_0 = 5$ by using the ESBI-T2 causing the simulation to terminate early.

Due to the nonlinearities, the real focusing point and time will be shifted from the specified ones. Therefore, a zoom in look at the free surface spatial distribution at the real focusing time are displayed in Figure 6. A detailed look along the longitudinal and cross sections are displayed in Figure 7.

The results by using both the ESBI-T1 and ESBI-T2 indicate that the maximum crest height of the rogue wave is enlarged due to the wind input as shown in Figure 7(a)(c)(e), as well as the width in cross direction as shown in Figure 7(b)(d)(f). This broadening of the crest is presumably due to the local nonlinear effects [33,34], which is triggered by the local enhancement of waves by the wind. To better examine the magnitude of enlargement, the crest ratio at focusing, i.e., the maximum surface elevation with wind over that without wind, in terms of the wind speed is presented in Figure 8(a), while the energy ratio, i.e., total energy at focusing time against that at initial time, is given in Figure 8(b). It can be found that the crest ratio gradually increases with the increase of the wind speed, as well as the energy ratio, which is understandable as stronger wind can lead to higher drag before breaking occurs and drag is saturated [13].

In addition, it is noted that the crest ratio and energy ratio predicted by using the ESBI-T1 is lower than that by using ESBI-T2. The reason is that, using the modified Jeffreys' theory [5] can lead to underestimation of the

maximum elevation compared with the CFD simulations where the wind effects are directly modelled, no matter how the critical surface gradient is selected from the range [0.3, 0.4] (see discussions in Yan & Ma [8]).

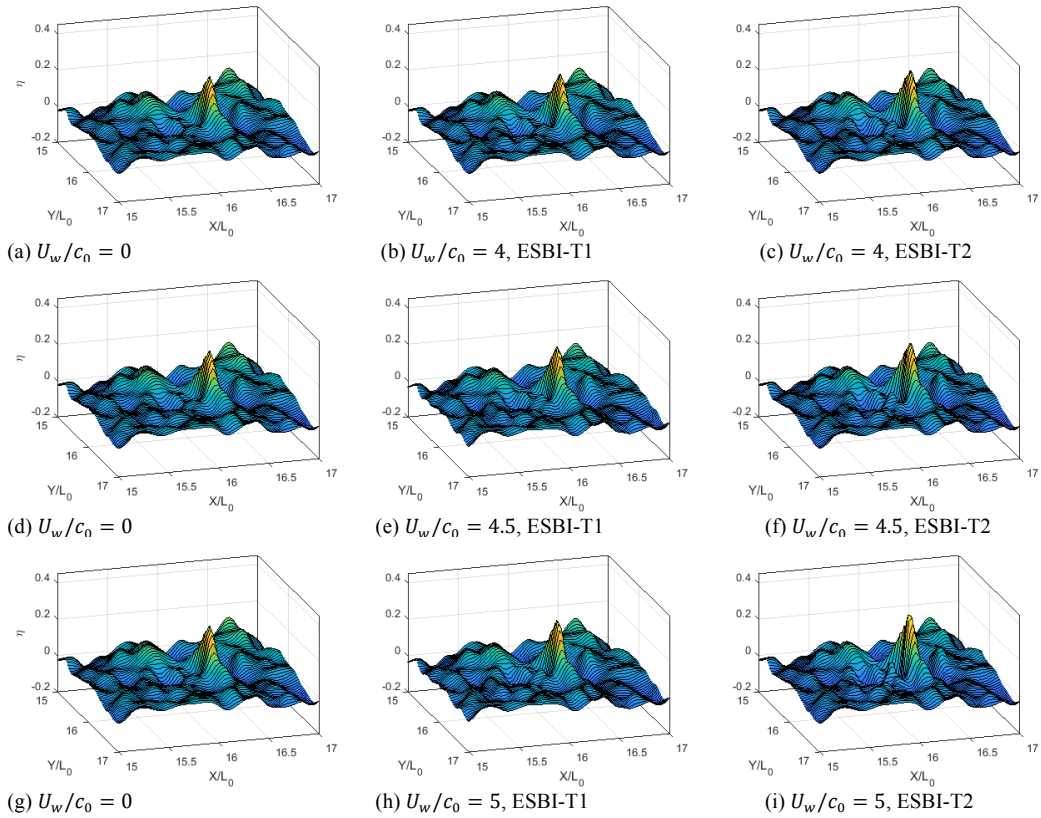
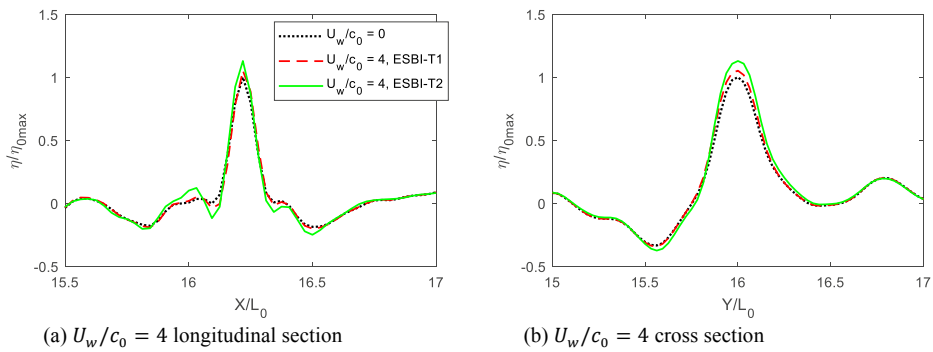


Figure 6. Comparison of the free surface at focusing



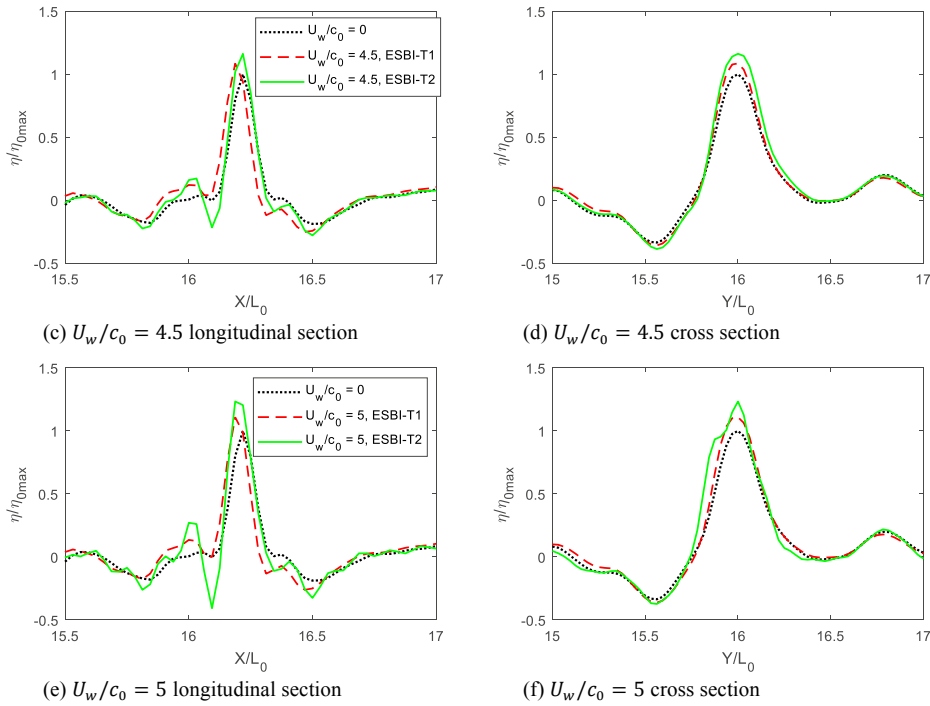


Figure 7. Comparison of the section surface profiles

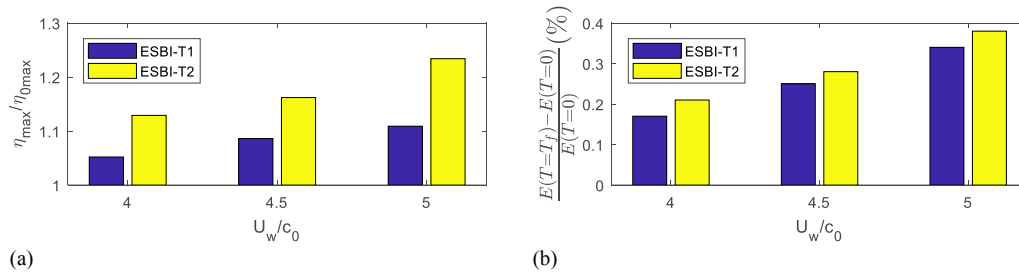


Figure 8. Crest ratio (a) and energy ratio (b) at focusing against wind speed

Furthermore, another interesting comparison of the energy ratio evolving in time is shown in Figure 9, from which it can be observed that the total energy in the simulations by using the ESBI-T1 increases suddenly during the focusing stage, and remain constant after de-focusing, while in the ESBI-T2 simulations, the total energy gradually grows over time. This is because the pressure forcing term is not acting on the free surface unless the maximum gradient exceeds the specified value by using the ESBI-T1. However, there is no such assumption and the pressure keeps acting on the free surface during the wave propagation by using the ESBI-T2. In addition, the rate of the energy variation increases significantly when focusing wave occurred in the ESBI-T2 simulations, as can be observed by looking at the slope of the green solid line in Figure 9(b).

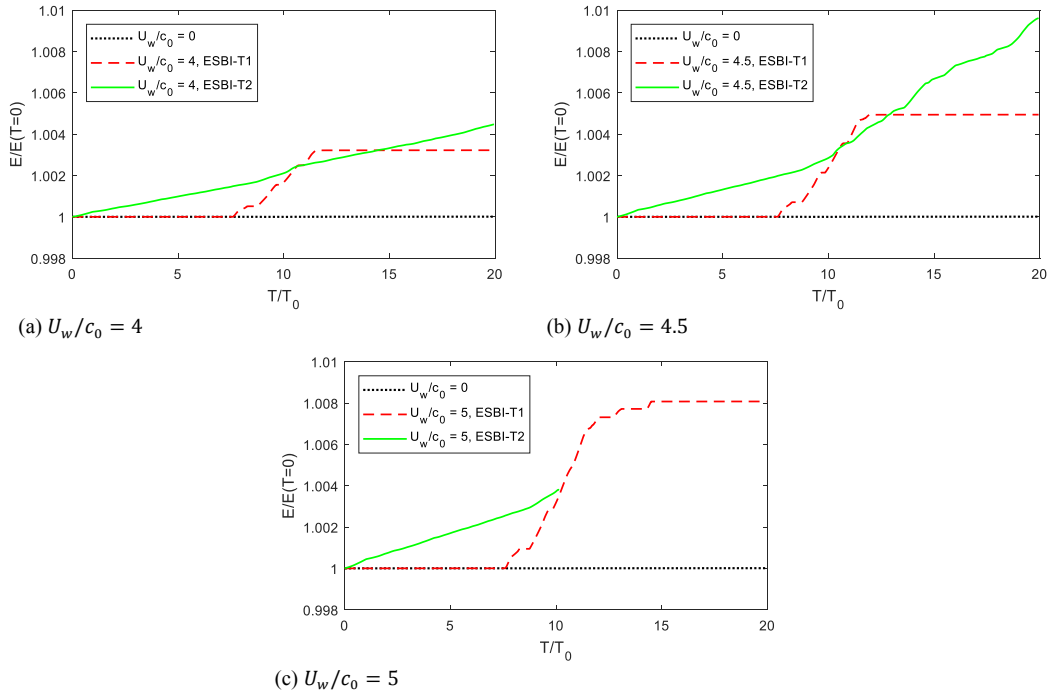


Figure 9. Comparison of the energy ratio

Moreover, the real focusing time and location are extracted and examined. It is observed that the focusing time is shifted earlier by the wind in the simulation by using the ESBI-T1, and remain the same despite of the increase of the wind speed. On the contrary, the focusing time is postponed by the wind in the simulations by using the ESBI-T2, where higher wind speed causes further delay. Meanwhile, the focusing location are pushed to the upstream in both the simulations of the ESBI-T1 and ESBI-T2. However, further investigations need to be carried out in order to confirm this observation, as the initially specified focusing time and location can both affect the results as pointed out by Yan & Ma [9].

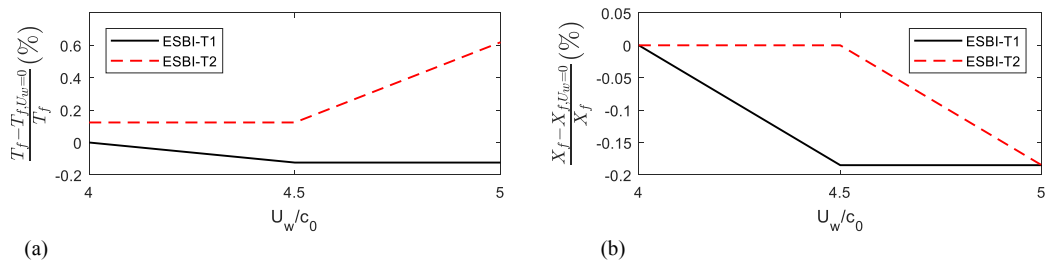


Figure 10. Shift of focusing time (a) and location (b) against wind speed

4. Conclusions

In this paper, three-dimensional rogue waves on large scale (32×32 peak wave lengths which is equivalent to 23km^2 considering a typical wave length 150m in the North Sea) with the presence of wind are simulated in a phase-resolved manner by using the Enhanced Spectral Boundary Integral method based on the fully nonlinear potential theory. The wind effects are modelled by using the techniques suggested by Touboul, et al. [5] and Yan & Ma [8]. The results by using both the techniques indicate that higher wind speed produces rogue waves with larger crests

and more energy input. However, the results by using the technique by Touboul, et al. [5] shows a slightly lower maximum crest height and total energy compared with that by using the technique by Yan & Ma [8]. In addition, the focusing time and the location of the rogue waves are also shifted compared with that without the presence of wind. However, only waves with an underlying JONSWAP spectrum are considered, while the range of wind speed is very limited. The conclusion may change if these conditions are different. More tests on a wider range of input parameters will be carried out in the future.

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